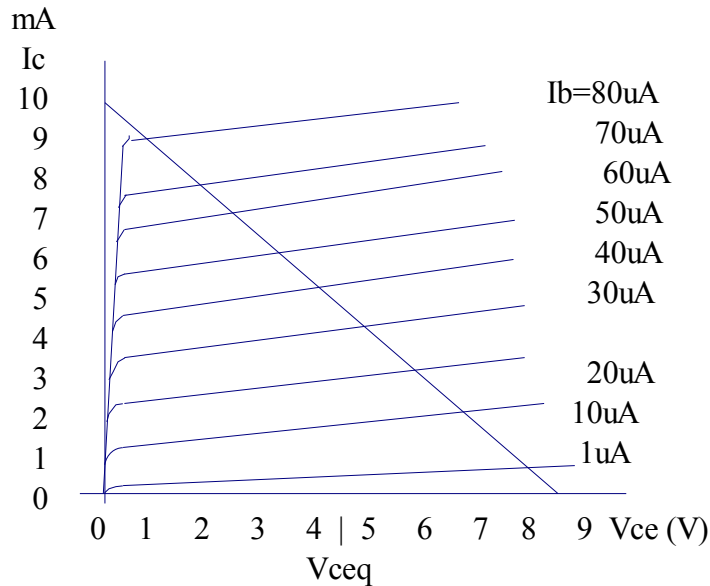


PRACTICAL CIRCUIT TUTORIALS

● AMPLIFIERS

Here we will first discuss BJTs and then FETs

→ BJT:-



Output characteristics of a BJT

1. Select V_{CQ} and I_{CQ} (for good class A amplifier $V_{CQ} = \frac{V_{CC}}{2}$ and $I_{CQ} = \frac{I_{Cmax}}{2}$)
2. Find $R_C + R_E$ as $R_C + R_E = \frac{V_{CC}}{I_{CQ}}$
3. Set desired voltage gain as $\frac{(R_C)}{(R_E)}$
4. Choose value for R_E and from above equations find R_C
5. Set current through R_1 and R_2 as $I_{bias} = \frac{I_{CQ}}{10}$

..... Wonder why $\frac{I_{CQ}}{10}$? .. because keeping it this small will allow the R_2 be in the available commercial range so that V_{BE} (voltage between base and emitter) remains at $V_{BE} = I_{CQ} * R_E$...

6. As we already set Q point by selecting V_{CQ} and I_{CQ} which will set some voltage as V_{BE} as explained in previous step we should make sure that the voltage drop across R_2 is same as V_{BE} otherwise the transistor will deviate from our biasing point, in short

$$V_{be} = I_{cQ} * R_e = I_{bias} * R_2$$

7. Having found the R_2 we can find R_1 as $I_{bias} = \frac{(V_{cc})}{(R_1 + R_2)}$

8. Now the capacitors

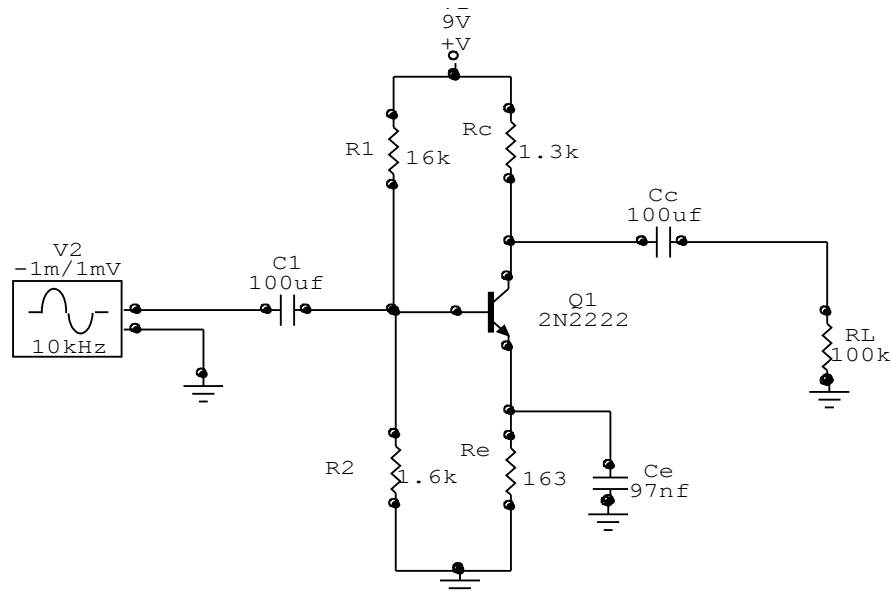
$$C_e = \frac{1}{(2 * \pi * f * R_e)} (\text{peak} - \text{peak})$$

$$C_1 = \frac{1}{(2 * \pi * f * R_2)}$$

$$C_c = \frac{1}{(2 * \pi * f * R_L)}$$

These are typical High Pass Filter equations.

➤ Example 1.1:-



Without C_e gain is 10 p-p and with C_e (sharply calculated as in figure) gain is 14 p-p

IF THE VALUE OF GAIN IS NOT OF IMPORTANCE THEN WE CAN SELECT C_e MUCH HIGHER THAN CALCULATED AND WE WILL GET THE HIGHEST POSSIBLE VALUE OF GAIN FOR THE PARTICULAR BJT. (In this example try setting C_e to 1uF)

Here is the Freemat (MatLab like software) code to design the common emitter amplifier. Save this script as CENPNdesign and then give the necessary parameters and you will have the values for R_1 , R_2 , R_c , R_e and Capacitors.

```

function return_value=CENPNdesign(Vcc,Icmax,Gain,f)
printf 'type CENPNdesign(Vcc,Icmax,Gain,f)'
Icq=Icmax/2
Vcq=Vcc/2
printf 'a=Rc+Re'
a=Vcc/Icq
printf 'Gain=Rc/Re'
printf 'a=(Gain+1)*Re'
Re=a/(Gain+1)
Rc=(Re*Gain)-300
printf '\n\n this 300 is CB resistance (high output resistance)\n\n'
printf 'It is general considaration that .....'
Ibias=Icq/10
Vbe=Icq*Re
printf 'Vbe=Ibias*R2'
R2=Vbe/Ibias
printf 'b=R1+R2'
b=Vcc/Ibias
R1=b-R2
Ce=1/(2*pi*f*Re)
C1=1/(2*pi*f*R2)
printf 'Cc=1/(2*pi*RL)'
printf '\n\nSo the final values are...\n\n\n'
Rcfinal=Rc
Refinal=Re
R1final=R1
R2final=R2
Cefinal=Ce
C1final=C1 ; ' THIS VALUE OF C1 WILL GIVE PEAK TO PEAK GAIN'
C1normalgain=C1*10
Ccfinal=C1

```

Here is the output for the example .

```

CENPNdesign(9,10e-3,10,10e+3)
type CENPNdesign(Vcc,Icmax,Gain,f)
Icq =
5.0000e-003
Vcq =
4.5000
a=Rc+Re
a =
1800
Gain=Rc/Rea=(Gain+1)*Re

```

$R_e =$
 $1.6364e+002$
 $R_c =$
 $1.3364e+003$
 this 300 is CB resistance (high output resistance)
 It is general considaration that
 $I_{bias} =$
 $5.0000e-004$
 $V_{be} =$
 0.8182
 $V_{be} = I_{bias} * R_2$
 $R_2 =$
 $1.6364e+003$
 $b = R_1 + R_2$
 $b =$
 18000
 $R_1 =$
 $1.6364e+004$
 $C_e =$
 $9.7261e-008$
 $C_1 =$
 $9.7261e-009$
 $C_c = 1 / (2 * \pi * R_L)$
 So the final values are...
 $R_{cfinal} =$
 $1.3364e+003$
 $R_{efinal} =$
 $1.6364e+002$
 $R_{1final} =$
 $1.6364e+004$
 $R_{2final} =$
 $1.6364e+003$
 $C_{efinal} =$
 $9.7261e-008$
 $C_{1final} =$
 $9.7261e-009$
 $C_{1PtoPgain} =$
 $9.7261e-008$
 $C_{efinal} =$
 $9.7261e-009$

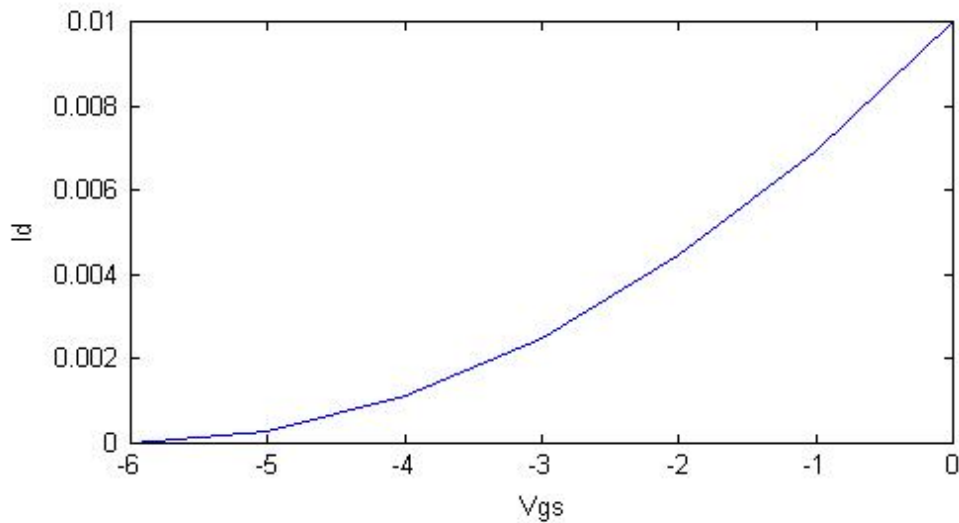
➔ **FET:-**

Biasing an FET is quite different from biasing a BJT. An FET takes voltage V_{gs} as input while a BJT takes current I_b as input, in other words FET is a voltage controlled device while BJT is a current controlled device. In BJT we set the bias point on output characteristics by the load line analysis while in FET the biasing point is selected by the study of **transfer characteristics (I_d vs V_{gs})** and also of the Drain characteristics (**I_d vs V_{ds}**). The following will throw some light upon this discussion.

Note: See appendix for derivation of formula.....

$$I_d = I_{dss} \left[1 - \frac{V_{gs}}{V_p} \right]^2$$

Id versus Vgs



Transfer characteristics of a JFET

1. First select a biasing point on the Drain characteristics by.....

$$V_{dsq} = \frac{V_{ds}}{2} \quad \text{and} \quad I_{dq} = \frac{I_{dss}}{2}$$

2. Now having found I_{dq} we can find $R_d + R_s = a$, as

$$a = \frac{V_{dd}}{I_{dq}}$$

3. From I_{dq} we can also find V_{gsq} either from transfer characteristics or by the shorthand method as

$$I_{dq} = \frac{I_{dss}}{2} \quad \text{when} \quad V_{gsq} = \frac{V_p}{4}$$

4. Now let's assume that in voltage divider configuration voltage at gate ...

V_g = Voltage across R_2 issay....0.006V

5. Now as we know

V_{th} is threshold voltage = effective voltage at which change in I_d start.

$$V_{gs} = (V_g - V_{th}) - V_s$$

$$V_s = I_{dq} * R_s = V_{gs} - V_g = \left(\frac{V_p}{4} \right) - 0.006V$$

6. From above equation we can find R_s as

$$R_s = \frac{\left[\left(\frac{V_p}{4} \right) - 0.006V \right]}{I_{dq}}$$

7. From R_s we can calculate R_d as

$$R_d = a - R_s$$

8. Now let the current through R1 and R2 be I_{bias} and let

$$I_{bias} = \frac{I_{dq}}{100} \quad [\text{This will allow the R1 and R2 be in available commercial range}]$$

9. And we have assumed that voltage across R2 is 0.006V so.....

$$0.006 = I_{bias} * R2$$

$$R2 = \frac{0.006}{I_{bias}}$$

10. Having found R2 we can calculate R1 as

$$\frac{V_{dd}}{I_{bias}} = R1 + R2$$

$$R1 = \left(\frac{V_{dd}}{I_{bias}} \right) - R2$$

11. The gain (without any capacitor Cs) can be found by two method....

$$Gain = \frac{R_d}{R_s} \text{ or } ...$$

$$Gain = g_m * R_d \text{ where}$$

$$g_m = g_{m0} * \left[1 - \left(\frac{V_{gsq}}{V_p} \right) \right], \quad g_{m0} = \left(\frac{2 * I_{dss}}{V_p} \right)$$

NOTE THAT THIS WILL BE THE HIGHEST POSSIBLE GAIN FOR SELECTED R1,R2, Rs AND Rd..GAI CAN BE IMPROVED BY ADDING Cs OF HIGHER VALUE THAN CALCULATED.(Even calculated value of Cs will give slight higher gain than that of without Cs)

12. Now the capacitors

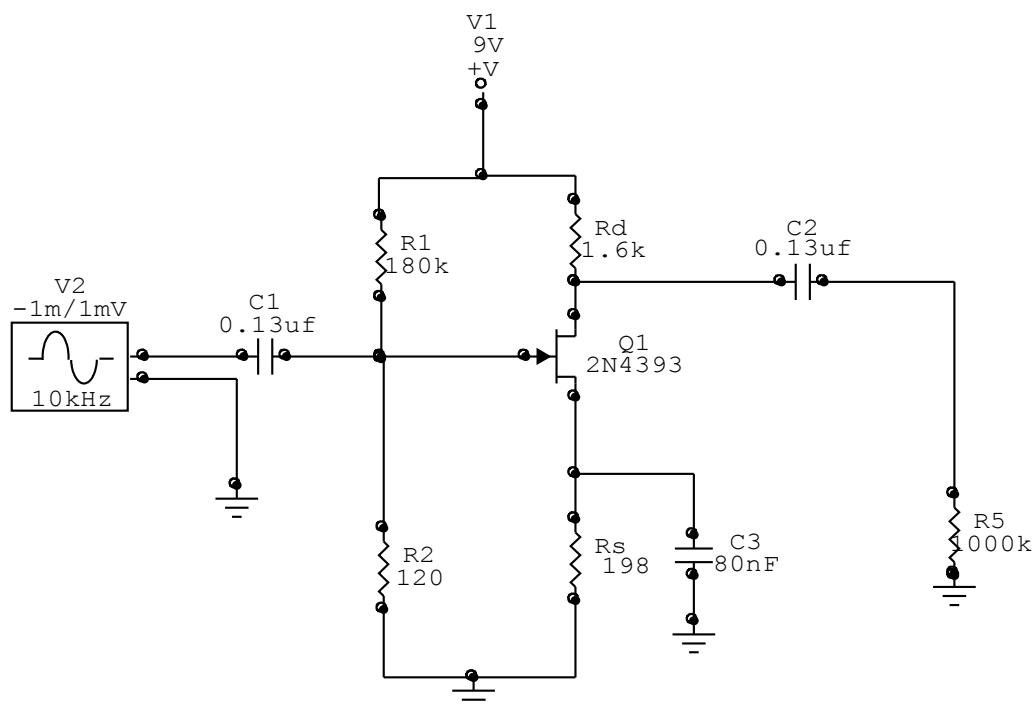
$$C_e = \frac{1}{(2 * \pi * f * R_e)} (\text{peak} - \text{peak})$$

$$C_I = \frac{1}{(2 * \pi * f * R2)}$$

$$C_c = \frac{1}{(2 * \pi * f * R_L)}$$

These are typical High Pass Filter equations.

➤ **Example 1.2 :-**



Without C_s gain is 8 p-p , with C_s (sharply calculated as in figure) gain is 10 p-p

IF THE VALUE OF GAIN IS NOT OF IMPORTANCE THEN WE CAN SELECT C_s MUCH HIGHER THAN CALCULATED AND WE WILL GET THE HIGHEST POSSIBLE VALUE OF GAIN FOR THE PERTICULAR JFET

Here is the Freemat code for calculation of component values.


```

function return_value = JFETCSdesign(Vdd,Idss,Vp,Vth,f)
printf 'JFETCSdesign (Vdd,Idss,Vp,Vth,f)'
Vpx=-1*Vp
'this -1 multiplication is to make |Vp|';
Vdsq=Vdd/2
Vdsq=(Vdd/2)-Vth
Idsq=Idss/2
a = Vdd/Idsq
'a = Rd+Rs';
Vgsq=Vpx/4
printf 'ASSUMED THAT IN VOLTAGE DIVIDER CONFIG. Vg = 0.006 = 6mV'
Vs=(Vgsq-Vth)-0.006
Rs=Vs/Idsq
'AS Rd+Rs = A, THEN...';
Rd=a-Rs
'As assumed before..... Vg = 6mV therefore,';
Ibias = Idsq/100
b=Vdd/Ibias
'b = R1+ R2';
R2 = 0.006/Ibias
R1 = b - R2
C1=1/[2*pi*R2*f]
'C2=1/[2*pi*RL*f]'; 'if RL is given ';
Cs=1/[2*pi*Rs*f]
printf '\n\n\nSO THE FINAL VALUES ARE ....\n\n\n'
R1final = R1
R2final = R2
printf '\n\nNOW THE FOLLOWING Rd IS FOR MAXIMUM POSSIBLE GAIN WITH THIS Rs
AND R1,R2 (WITHOUT Cs)\n\n'
Rdfinal = Rd
Rsfinal = Rs
C1final = C1
C2final = C1
Csfinal = Cs
GainPtoPmax = Rd/Rs
printf 'Even with exact value of Cs, gain will be slightly higher than Rd/Rs '
printf '\n\n\n VERIFY THIS BY TYPING JFETCS(Vdd,Idss,Vp,Vgs,R1,R2,Rs,) \n\n\n';

```

The following code will generate plots of Drain characteristics and Gm Versus Id so that we can verify our biasing mode. (Specify Vgs as Range , e.g. :- Vgs = -4:0)

```

function return_value=JFETCS(Vdd,Idss,Vp,Vgs,R1,R2,Rs)
printf 'type JFETCS(Vdd,Idss,Vp,Vgs,R1,R2,Rs)'
a=(1-(Vgs/Vp))
Id=Idss*(a.*a)
b=R2/(R1+R2)
Vg=(Vdd*b)
Idx=(Vg-Vgs)/Rs
gm0=(2*Idss)/(Vp)
printf '\n\ngm0 is gm at Vgs=0\n\n'
gm=gm0.*[1-((Vgs)/(Vp))]
'or gm = gm0.* [sqrt(Id/Idss)] because [1-(Vgs/(-Vp))] = sqrt(Id/Idss)';
'Note this (-Vp) so overall -(-Vp) = +Vp because gm cannot be NEGATIVE';
subplot (2,2,1)
'this (1,2,1) is (Vertical,width,number)';
plot(Vgs,Id,Vgs,Idx)
'Idx is Id with some Vg';
xlabel('Vgs');
ylabel ('Id');
title ('Id Versus Vgs','fontsize',15);
subplot (2,2,2)
plot(Id,-gm)
xlabel ('Id');
ylabel ('gm');
title ('gm Versus Id','fontsize',15);

```

Here is the output for calculation and characteristics for Example 1.2 :

Calculation:

```

JFETCSdesign (Vdd,Idss,Vp,Vth,f)
Vpx = 4
Vdsq = 4.5000
Vdsq = 4.5000
Idsq = 5.0000e-003
a = 1800
Vgsq = 1

```

ASSUMED THAT IN VOLTAGE DIVIDER CONFIG. $V_g = 0.006 = 6\text{mV}$

```

Vs = 0.9940
Rs = 1.9880e+002
Rd = 1.6012e+003
Ibias = 5.0000e-005
b = 180000

```

R2 = 120

R1 = 179880

C1 = 1.3263e-007

Cs = 8.0058e-008

SO THE FINAL VALUES ARE

R1final = 179880

R2final = 120

NOW THE FOLLOWING Rd IS FOR MAXIMUM POSSIBLE GAIN WITH THIS Rs AND R1,R2 (WITHOUT Cs)

Rdfinal = 1.6012e+003

Rsfinal = 1.9880e+002

C1final = 1.3263e-007

C2final = 1.3263e-007

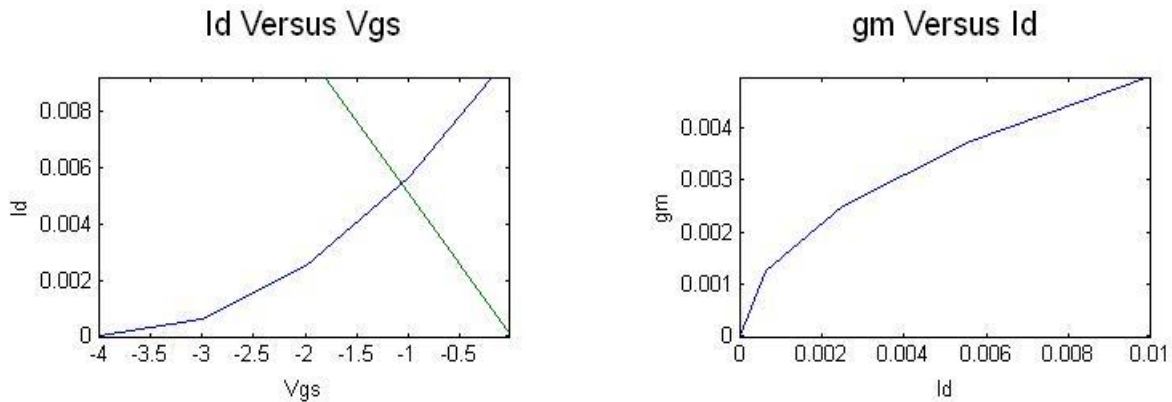
Csfinal = 8.0058e-008

GainPtoPmax = 8.0543

Even with exact value of Cs, gain will be slightly higher than Rd/Rs

VERIFY THIS BY TYPING JFETCS(Vdd,Idss,Vp,Vgs,R1,R2,Rs,)

The characteristics for Example 1.2 are



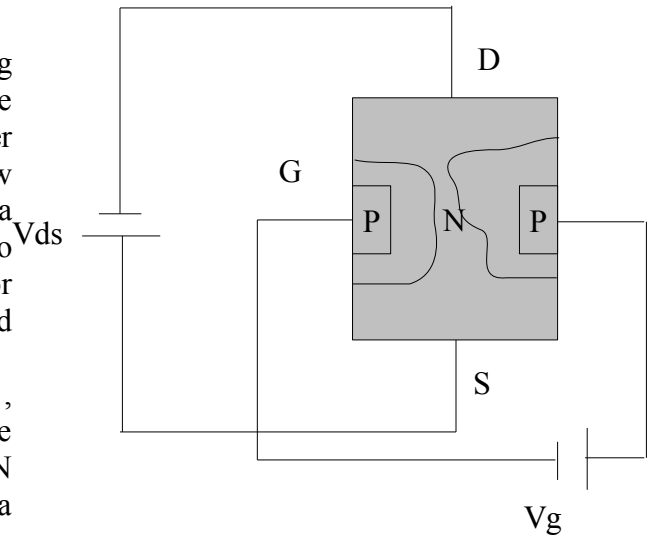
Note that the green line intersects the transfer characteristics at the set $V_s \sim 1$ V

APPENDIX

Derivation of I_d :-

The figure shows a typical JFET with biasing sources. As we know and shown in figure, negative gate voltage increases the width of depletion layer and hence decreases the width of channel. Now remember the very basic concept of capacitor that a capacitor is a dielectric or insulator separated by two plates of conductor. The capacitance of any capacitor depends upon the space between the conductors and the “conductivity of dielectric or insulator”

Looking to the figure it is evident that here in JFET, the depletion layers work as insulator or more like dielectric which is “separated” by two sides of N substrate namely D side and S side, So we can treat a JFET as variable capacitor.



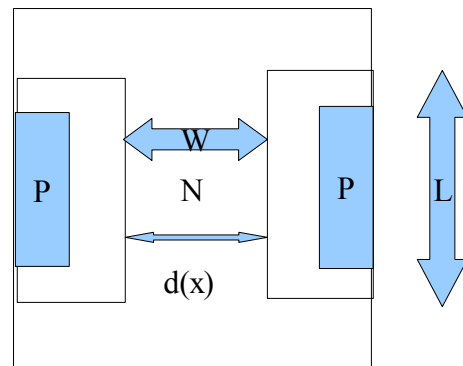
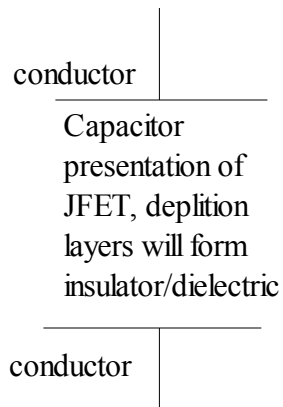
We know that

$$V_{ds} = V_{dd} - V_{gs}$$

Now let the length of the channel be L and width W , we want to find the charge stored in the capacitor formed by channel, so first we will find the charge stored at width dx , which is infinitesimal width of the channel and then that charge will be integrated for length L .

As we know general equation for charge is

$$q = c \cdot v$$



Therefore, for $W(dx)$

$$\begin{aligned} dq(x) &= [CW(dx)] * [Vds] \\ dq(x) &= C * W(dx) * [Vdd - Vgs] \end{aligned}$$

But, the maximum effective $Vdd = Vp$, for $Vdd > Vp$ it's effect will still be that of Vdd on the drain current (current through capacitor, in this context) so, we can replace Vdd for Vp

$$dq(x) = C * W(dx) * [Vp - Vgs]$$

Now, the drain current (current through capacitor) will generate electric field, and its field strength is given by

$$E(x) = \frac{-[dV(x)]}{[dx]}$$

(Electric field at point x, $V(x)$ is the voltage at point x)

The negative sign shows that electron moves reverse than current I_d , these electrons are pushed by the field strength $E(x)$.

and, the drift velocity by which the electron moves is given by

$$\begin{aligned} \frac{dx}{dt} &= -\mu_n E(x) \quad \text{where, } \mu_n \text{ is mobility of electrons} \\ \frac{dx}{dt} &= \mu_n \frac{(dV(x))}{(dx)} \end{aligned}$$

Now the current at x is given by

$$\begin{aligned} I(x) &= \frac{(dq(x))}{(dt)} = \left[\frac{dq(x)}{dx} \right] * \left[\frac{dx}{dt} \right] \\ I(x) &= \left[\frac{[CW(dx)[Vp - Vgs]]}{(dx)} \right] * \left[\mu_n \frac{(dV(x))}{(dx)} \right] \\ I(x) dx &= CW (Vp - Vgs) (\mu_n dV(x)) \end{aligned}$$

Therefore, for the total of the channel current

$$\begin{aligned} \int_0^L I dx &= \int_0^{Vds} CW (Vp - Vgs) * \mu_n dV(x) \\ [Ix * X]_0^L &= [C W \mu_n (Vp - Vgs)] \left[\int_0^{Vds} (dV(x)) \right] \\ [Id(L) - Id(0)] &= C W \mu_n (Vp - Vgs) [x]_0^{Vds} \\ Id L &= C W \mu_n (Vp - Vgs) (Vds - 0) \end{aligned}$$

As stated before $Vds = Vdd - Vss = Vdd - Vgs$ (for $Vg = 0$)

$$V_{ds} = V_p - V_{gs} \quad (\text{because maximum effect that } V_{dd} \text{ can have on } I_d \text{ is that of } |V_p|)$$

$$I_d = C W \mu_n (V_p - V_{gs})(V_p - V_{gs})$$

$$I_d = C \left(\frac{W}{L} \right) \mu_n (V_p - V_{gs})^2$$

$$I_d = \left[C \left(\frac{W}{L} \right) \mu_n V_p^2 \right] \left[\left(1 - \frac{V_{gs}}{V_p} \right)^2 \right]$$

$$\text{but, } C \left(\frac{W}{L} \right) \mu_n V_p^2 = \frac{\left(\frac{V_p}{1} \right)}{\left[C \left(\frac{W}{L} \right) \mu_n V_p \right]}$$

but, Voltage * mobility = drift velocity therefore,

$$C \left(\frac{W}{L} \right) \mu_n V_p^2 = \frac{\left(\frac{V_p}{1} \right)}{\left[\left(V_{drift} * C \left(\frac{W}{L} \right) \right) \right]}$$

$$C \left(\frac{W}{L} \right) \mu_n V_p^2 = \frac{\left(\frac{V_p}{1} \right)}{\left[(V_{drift} * \text{charge}) \right]}$$

$$C \left(\frac{W}{L} \right) \mu_n V_p^2 = \frac{\left(\frac{V_p}{1} \right)}{\left[\text{conductance} \right]} = \frac{V_p}{\text{resistance}} = \frac{V_p}{r_d} = I_{dss}$$

So, finally we have

$$I_d = I_{dss} \left(1 - \frac{V_{gs}}{V_p} \right)^2$$